## Baxter

# Advanced Chemistry For Dialysis Technicians 

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## Chemistry Topics

$\mathrm{CO}_{2}$ in Dialysate - The mystery ingredient Harness - What's "as $\mathrm{CaCO}_{3}$ mean?

Urea vs. BUN - They aren't the same
Amino Acids - The Lego set for proteins
The $1^{\text {st }}$ Membrane - An explosive story
Carbonate Precipitation - Why it happens

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## The Acid/Bicarbonate Reaction

When the Acetic Acid in the Acid concentrate mixes with the Bicarbonate ion in the Bicarb concentrate the following reaction occurs:

$$
\mathrm{CH}_{3} \mathrm{COOH}+\mathrm{HCO}_{3}^{-} \longrightarrow \mathrm{CO}_{2}+\mathrm{H}_{2} \mathrm{O}+\mathrm{CH}_{3} \mathrm{COO}^{-}
$$

| Acetic <br> Acid | Bicarb <br> Ion | Carbon <br> Dioxide | Water | Acetate <br> Ion |
| :---: | :---: | :---: | :---: | :---: |
| $4 \mathrm{mM} / \mathrm{L}$ | $4 \mathrm{mEq} / \mathrm{L}$ | $4 \mathrm{mM} / \mathrm{L}$ | $4 \mathrm{mM} / \mathrm{L}$ | $4 \mathrm{mEq} / \mathrm{L}$ |

For 45X concentrates the $37 \mathrm{mEq} / \mathrm{L}$ concentrate becomes $33 \mathrm{mEq} / \mathrm{L}$ in the final dialysate solution.

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## How much $\mathrm{CO}_{2}$ pressure will be in the dialysate?

The reaction with the acetic acid produced 4 mmol of carbon dioxide.
That's $1 / 250$ th (4/1000) of a mole/liter.
From Avogadro's law, one mole of a gas occupies 22.4 liters at one atmosphere of pressure ( 760 mmHg )

Boyle's Law: $P_{1} \times V_{1}=P_{2} \times V_{2}$ hence:
22.4 liters $\times 760 \mathrm{mmHg}=1$ liter $\times 17,024 \mathrm{mmHg}$
$17,024 \mathrm{mmHg} / 250=68 \mathrm{mmHg}$
Normal blood $\mathrm{CO}_{2}$ pressure is $\mathbf{4 0} \mathbf{~ m m H g}$ hence:
$\mathrm{CO}_{2}$ will go from the dialysate to the blood
This is a good thing because $\mathrm{CO}_{2}$ levels promote breathing and as a result, good Oxygen levels.

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## Blood pH and the Bicarbonate Ion

Blood pH is directly related to the concentrations of bicarbonate and carbon dioxide in the blood.

The relationship is defined by the Henderson-Hasselbalch Equation:

$$
\mathrm{pH}=\mathrm{pK}+\log \frac{\left[\mathrm{HCO}_{3}^{-}\right]}{0.03 \times \mathrm{pCO}_{2}}
$$

- Where:

$$
\begin{aligned}
& \mathrm{pK}=\text { the blood } \mathrm{pH} \text { due to other acids } \\
& \mathrm{HCO}_{3}^{-}=\text {bicarb concentration }(\mathrm{mEq} / \mathrm{L}) \\
& \mathrm{pCO}_{2}=\text { carbon dioxide pressure }(\mathrm{mmHg})
\end{aligned}
$$

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## Solving the equation

Blood normal values for $\mathrm{pK}, \mathrm{HCO}_{3}{ }^{-}$, and $\mathrm{pCO}_{2}$ are: $\mathrm{pK}=6.1, \mathrm{HCO}_{3}{ }^{-}=24 \mathrm{mEq} / \mathrm{L}$, and $\mathrm{pCO}_{2}=40 \mathrm{mmHg}$
Placing these values in the equation yields:

$$
\begin{aligned}
& \text { Blood } \mathrm{pH}=6.1+\log \left(\frac{24 \mathrm{mEq} / \mathrm{L}}{0.03 \times 40 \mathrm{mmHg}}\right) \\
& \text { Blood } \mathrm{pH}=6.1+\log \left(\frac{24}{1.2}\right) \\
& \text { Blood } \mathrm{pH}=6.1+\log (20)=6.1+1.3=7.4
\end{aligned}
$$

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## What is hardness?

Hardness is defined by the various minerals of Calcium and Magnesium dissolved in water.

There are 8 specific compounds:

- Calcium Carbonate - $\mathrm{CaCO}_{3}$ - chalk, limestone, marble
- Calcium Bicarbonate - $\mathrm{Ca}\left(\mathrm{HCO}_{3}\right)_{2}$
- Calcium Sulfate - $\mathrm{CaSO}_{4}$ - gypsum
- Calcium Chloride - $\mathrm{CaCl}_{2}$
- Magnesium Carbonate - $\mathrm{MgCO}_{3}$ - chalk, limestone, marble
- Magnesium Bicarbonate - $\mathrm{Mg}\left(\mathrm{HCO}_{3}\right)_{2}$
- Magnesium Sulfate - $\mathrm{MgSO}_{4}$ - Epsom salts
- Magnesium Chloride $-\mathrm{MgCl}_{2}$

Other elements such as Iron and Manganese also add to total hardness when in high concentrations which is rare.

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## The hardness unit: Grain per gallon (gpg)

A grain is $1 / 7000$ of a pound $=0.0648$ of a gram. (453.6 gm $=1 \mathrm{lb})$
There's about 25,000 grains of rice to a pound.
A gallon of water weights 8.34 pounds.
1 grain/gallon $=0.000143 / 8.34=1.71 \times 10^{-5}$
To convert this ratio to parts per million ( ppm ) multiply by 1 million:

$$
\left(1.71 \times 10^{-5}\right) \times 10^{6}=1.71 \times 10^{1}=17.1 \mathrm{ppm}
$$

$1 \mathrm{ppm}=1 \mathrm{mg} / \mathrm{L}$

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## Grains per gallon as $\mathrm{CaCO}_{3}$

Rather than list each mineral in water for its individual contribution to hardness, the minerals are converted to the equivalent amount of Calcium Carbonate and then added together.

This conversion is done using the gram equivalent weights of the minerals.

For Calcium and Magnesium compounds the equivalent weight of each compound is half it's gram molecular weight because both Calcium ( $\mathrm{Ca}^{++}$) and Magnesium ( $\mathrm{Mg}^{++}$) have double charges.

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## Molecular and Equivalent Weights

| Molecular <br> Weight | Equivalent <br> Weight |  |
| :---: | :---: | :---: |
| Calcium carbonate | 100.090 | 50.045 |
| Calcium bicarbonate | 162.114 | 81.057 |
| Calcium sulfate | 136.142 | 68.071 |
| Calcium chloride | 110.986 | 55.493 |
| Magnesium carbonate | 84.322 | 42.161 |
| Magnesium bicarbonate | 146.346 | 73.173 |
| Magnesium sulfate | 120.374 | 60.187 |
| Magnesium chloride | 95.218 | 47.609 |

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## Equivalent Conversion Example

The formula:
Amt. of Mineral $\times \frac{\text { Eqv. Wt. }\left(\mathrm{CaCO}_{3}\right)}{\text { Eqv. Wt. (Mineral) })}=$ Amt. Of Mineral as $\mathrm{CaCO}_{3}$
Convert 10.0 gpg of Magnesium sulfate to gpg as Calcium carbonate.

$$
10 \mathrm{gpg} \mathrm{MgSO}_{4} \times\left(\frac{50.045}{60.187}\right)=8.31 \mathrm{gpg}^{2 \mathrm{gs} \mathrm{CaCO}_{3}}
$$

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## Urea vs. BUN

A compound formed in the liver by the process known as the urea cycle. It's gram molecular weight is:

## $\mathrm{CO}\left(\mathrm{NH}_{2}\right)_{2}$

$12.01+16.00+(14.008+(1.008 \times 2)) \times 2=60.058$ daltons
BUN $=$ Blood Urea Nitrogen $=$ Amount of nitrogen from the urea in the blood.
Ratio: Urea/Urea Nitrogen =
$60.058 / 2 \times 14.008=60.058 / 28.016=2.14$

Dorland's Illustrated Medical Dictionary, Editor: Elizabeth J. Taylor, $27^{\text {th }}$ Edition,1988, W. B. Saunders

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## Other Nitrogen Compounds

Ammonia - $\mathrm{NH}_{3}$
Subtract a Hydrogen and add a Chlorine and you get:
Mono-Chloramine - $\mathrm{NH}_{2} \mathrm{Cl}$
Subtract a Hydrogen and add a Chlorine and you get:
Di-Chloramine - $\mathrm{NHCl}_{2}$
Subtract a Hydrogen and add a Chlorine and you get:
Nitrogen Trichloride - $\mathrm{NCl}_{3}$

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## Organic Chemistry - $\alpha$-Amino Acids

All amino acids must have an amino group and an carboxyl group

| AMINO | CARBOXYL |
| :---: | :---: |
| $\left(\mathrm{NH}_{2}-\right)$ | $\left(\mathrm{COOH}^{+}\right)$ |

There are 20 amino acids used to build all human proteins.

- 9 are essential (You must eat them.)
- 11 are nonessential (You can make them.)


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## The $\alpha$-Amino Acids

## Essential

- Histidine
- Isoleucine
- Leucine
- Lysine
- Methionine
- Phenylalanine
- Threonine
- Tryptophan
- Valine

Non-essential

- Alanine
- Arginine
- Asparagine
- Aspartic Acid
- Cystine
- Glutamic Acid
- Glutamine
- Glycine
- Proline
- Serine
- Tyrosine


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## Proteins are...

Complex organic compounds containing carbon, hydrogen, oxygen, nitrogen and sulfur.
The main ingredient in the protoplasm of all living cells.
High molecular weight molecules consisting of $\alpha$ - amino acids in peptide linkages.
Each has a genetically defined sequence of amino acids which determine its shape and function.

Water/salt solution soluble types:

- Albumins, globulins, histones, protamines

Water insoluble types:

- Collagens, elastins, keratins, actins, myosin


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## Amino Acid Structure/Bonding



For the smallest amino acid, Glycine, $\mathrm{R}=\mathrm{CH}-\mathrm{H}$


Formation of a peptide (miniature protein) is called peptide linking. Note that each middle amino acid in the chain has lost a water molecule ( $\mathrm{H}_{2} \mathrm{O}$ )

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## Amino Acid Possibilities

Amino Acid Chain

Combinations

| 2 | 400 |
| :---: | :---: |
| 3 | 8,000 |
| 4 | 160,000 |
| 10 | $10,240,000,000,000$ |
| 100 | $1.2675 \times 10^{130}$ |

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## The development of Collodion

## The first practical membrane

1845 - Friedrich Schoenbeim spills a combination of nitric and hydrochloric acids and wipes it up with his wife's cotton apron.
The reaction synthesizes cellulose trinitrate (gun cotton).
He patents the process and forms his own company making the product which proved to be a fairly safe explosive for construction and mining.

Adapted by Alfred Nobel of Sweden into a controlled explosive called dynamite.

Nobel uses his wealth to create the Nobel Prizes.
Schoenbeim also discovered cellulose dinitrate which could be dissolved in ether and then dried to make thin films of the material.

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## The development of Collodion

## The first practical membrane

Sheets of cellulose dinitrate were used as surgical dressings and the basis for photographic film until 1935.

The material was called "collodion" from the Greek word "Kolla" for glue like substance.

In the laboratory it became known as a good semipermeable membrane and was used by Fick to study diffusion.

1913 - Used by Able, Roundtree, and Turner to perform the first in vivo studies of blood. They made the collodion into tubes by dipping glass rods into the collodion solution.

1924 - Haas dialyzed patients using collodion for two years but none of the patients lived.
1929 - Collodion was replaces by cellulose acetate when the Visking company in Chicago started making tubes of cellulose acetate for sausage casing.

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## Cellulose - $\left(\mathrm{C}_{6} \mathrm{H}_{10} \mathrm{O}_{5}\right)_{\mathrm{N}}$



The main polysaccharide of plant cell walls. It's a polymer of $\beta$-D-glucose with a water molecule removed to form links between units resulting in chains of between 2000 and 4000 units long.

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## Why is precipitation a problem in dialysis machines?

The problem is Calcium Carbonate's $\left(\mathrm{CaCO}_{3}\right)$ high degree of insolubility in water.

Calcium ions ( $\mathrm{Ca}^{++}$) and Carbonate ions $\left(\mathrm{CO}_{3}^{--}\right)$just love to get together.
This "Togetherness" effect is well know in Chemistry.
The term that defines the degree to which two ions will form a compound is called Solubility Product Constant and is abbreviated $\mathrm{K}_{\mathrm{SP}}$.

The formula for $\mathrm{K}_{\mathrm{SP}}$ is:

$$
\mathrm{K}_{\mathrm{SP}}=\left[\mathrm{lon}^{+}\right] \times\left[\text {lon }^{-}\right] \text {where: }
$$

[ ] = Ion concentration in moles per liter
Anytime the concentration of the positive ion multiplied by the concentration of the negative ion exceeds the $\mathrm{K}_{\mathrm{SP}}$ value for a compound, there will be precipitation.

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## $\mathrm{K}_{\mathrm{SP}}$ - Calcium Carbonate

$\mathrm{K}_{\mathrm{SP}}$ of $\mathrm{CaCO}_{3}=8.7 \times 10^{-9}$
$\left[\mathrm{Ca}^{++}\right] \times\left[\mathrm{CO}_{3}^{--}\right]=8.7 \times 10^{-9}$
$[\mathrm{X}] \times[\mathrm{X}]=8.7 \times 10^{-9}$
$\left[\mathrm{X}^{2}\right]=8.7 \times 10^{-9}$
[ X ] = square root of $8.7 \times 10^{-9}$
$[\mathrm{X}]=9.3 \times 10^{-5} \mathrm{moles} / \mathrm{liter}$
1 mole of $\mathrm{CaCO}_{3}$ weighs $=100.09$ grams
100.09 grams $\times 9.3 \times 10^{-5}=9.3$ milligrams $/ \mathrm{L}$

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## Where does the Carbonate in dialysate come from?

The answer is from the Bicarbonate ion
Bicarbonate + Water yields Hydronium + Carbonate

## $\mathrm{HCO}_{3}^{-}+\mathrm{H}_{2} \mathrm{O} \leftrightarrow \mathrm{H}_{3} \mathrm{O}^{+}+\mathrm{CO}_{3}^{--}$

Bicarbonate can also become Carbolic Acid
Bicarbonate + Hydronium yields Carbolic Acid

$$
\mathrm{HCO}_{3}^{-}+\mathrm{H}_{3} \mathrm{O}^{+} \leftrightarrow \mathrm{H}_{2} \mathrm{CO}_{3} \leftrightarrow \mathrm{H}_{2} \mathrm{O}+\mathrm{CO}_{2}
$$

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## Ionization Constants of Carbolic Acid

Since Carbolic Acid can loose two electrons, there are two equations:

$$
\begin{gathered}
K_{a 1}=\frac{\left[\mathrm{H}^{+}\right]\left[\mathrm{HCO}_{3}^{-}\right]}{\left[\mathrm{H}_{2} \mathrm{CO}_{3}\right]}=4.3 \times 10^{-7} \\
K_{a 2}=\frac{\left[\mathrm{H}^{+}\right]\left[\mathrm{CO}_{3}^{--}\right]}{\left[\mathrm{HCO}_{3}^{--}\right]}=5.6 \times 10^{-11}
\end{gathered}
$$

From the first equation, the pH of the dialysate can be calculated

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## Calculating Dialysate pH

The pH of dialysate can be determined from the concentrations of Carbolic Acid and the Bicarbonate ion. For typical dialysate:
Carbolic Acid $=4 \mathrm{mmol}=\left[4 \times 10^{-3}\right]$
Bicarbonate ion $=35 \mathrm{mmol} / \mathrm{L}=\left[35 \times 10^{-3}\right]$

$$
\begin{gathered}
K_{a 1}=\frac{\left[\mathrm{H}^{+}\right]\left[\mathrm{HCO}_{3}^{-}\right]}{\left[\mathrm{H}_{2} \mathrm{CO}_{3}\right]}=4.3 \times 10^{-7} \\
\frac{\left[\mathrm{H}^{+}\right]\left[35 \times 10^{-3}\right]}{\left[4 \times 10^{-3}\right]}=4.3 \times 10^{-7}
\end{gathered}
$$

Solve: $\left[\mathrm{H}^{+}\right]=4.9 \times 10^{-8} \mathrm{~mol} / \mathrm{L}$
The $\log \left(4.9 \times 10^{-8}\right)=-7.31$ therefore the $\mathrm{PH}=7.31$
Once the $\left[\mathrm{H}^{+}\right]$is known, the concentration of the carbonate ion can be determined.

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## Calculate $\mathrm{CO}_{3}{ }^{--}$in Dialysate

$$
\begin{aligned}
& K_{a 2}=\frac{\left[\mathrm{H}^{+}\right]\left[\mathrm{CO}_{3}^{--}\right]}{\left[\mathrm{HCO}_{3}^{--}\right]}=5.6 \times 10^{-11} \\
& \frac{\left[4.9 \times 10^{-8}\right]\left[\mathrm{CO}_{3}^{--}\right]}{\left[35 \times 10^{-3}\right]}=5.6 \times 10^{-11} \\
& 1.4 \times 10^{-6} \times\left[\mathrm{CO}_{3}^{--}\right]=5.6 \times 10^{-11} \\
& {\left[\mathrm{CO}_{3}^{--}\right]=4.0 \times 10^{-5} \mathrm{~mol} / \mathrm{L}}
\end{aligned}
$$

Once the concentration of the carbonate ion is known, the solubility of $\mathrm{CaCO}_{3}$ be determined.

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## $\mathrm{CaCO}_{3}$ in dialysate

For dialysate, the Calcium and Carbonate concentrations are:

- Calcium ion $=3.25 \mathrm{mEq} / \mathrm{L}=1.63 \times 10^{-3} \mathrm{~mol} / \mathrm{L}$
- Carbonate ion $=4 \times 10^{-5} \mathrm{~mol} / \mathrm{L}$
$\left[\mathrm{Ca}^{++}\right] \times\left[\mathrm{CO}_{3}^{--}\right]=$
$\left[1.63 \times 10^{-3}\right] \times\left[4.0 \times 10^{-5}\right]=6.5 \times 10^{-8}$
$\mathrm{K}_{\mathrm{SP}}$ of $\mathrm{CaCO}_{3}=8.7 \times 10^{-9}$
The dialysate concentration is higher than the $\mathrm{K}_{\mathrm{sP}}$ of $\mathrm{CaCO}_{3}$, so precipitation will form.

At low levels the the reaction is metastable, hence, precipitation forms slowly.

